
Minimal Additive Codes and Their Underlying Geometry

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Résumé

An additive code of length n over the finite field \mathbb{F}_{q^h} is a subset $\{C\}$ of $\mathbb{F}_{q^h}^n$ that is closed under addition. Such an additive code is linear over the subfield \mathbb{F}_q and therefore has size q^r for some r . To denote an additive code we will use the notation $(n, \frac{r}{r\{h\}, d}_{q^h})$, where d is the minimum Hamming distance of $\{C\}$. Additive codes are particularly interesting because, in ce

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